Name: $\qquad$ Date: $\qquad$
A quadratic relationship is one that has a degree of $\qquad$
The $\qquad$ standard form of a quadratic function is $\qquad$ $y=a x^{2}+b x+c$ .
The "basic" quadratic function is $y=x^{2}$. Complete the table of values and then graph the function.
$\downarrow$

| $x$ | -4 | -3 | -2 | -1 | 0 | 1 | 2 | 3 | 4 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $y$ | 16 | 9 | 4 | 1 | 0 | 1 | 4 | 9 | 16 |

This shape is called a
Graph features:

- vertex is the middle your parabola.
- your mirror point

$$
\begin{aligned}
& x y \\
& (0,0)
\end{aligned}
$$

- $x$-intercept is where you cross or touch the

$$
\begin{aligned}
& x \text {-axis } \\
& (0,0)
\end{aligned}
$$

- $y$-intercept is where you cross the $y$-axis

$$
(0,0)
$$


yet $(0,0)$

- Axis of symmetry mirror that runs through the vertex

$$
x=0
$$

Example Consider $y=x^{2}+4 x+3$.

- From this form of the equation we know the

$$
\begin{aligned}
& \text { oof the equation we know the } \\
& \text { Standard form } \begin{array}{l}
\text { - we know the } y \text {-intercept } \\
\qquad(x=0)
\end{array} \\
& \qquad y=(0)^{2}+4(0)+3
\end{aligned}
$$

- If we factor this equation, we will know the

$$
\begin{aligned}
& \frac{3}{3} \times \frac{1}{1}=3 \\
& +1
\end{aligned}
$$

$$
\begin{aligned}
& y=x^{2}+3 x+x+3 \\
&=x(p A+B)+(p x+3) \\
&=(x+3)(x+1) \\
& 0=(x+3)(x+1) \\
& y
\end{aligned}
$$

- We can find the vertex by
- we can find the $x$-intercepts $(y=0)$
by finding the distance $x+3=0$ or $x+1=0$ between the $x$-int. $\quad-3,-3 \quad-1 \quad-1$
and cutting it in half.

$$
x=-3
$$

$$
x=-1
$$

- The axis of symmetry

$$
x=-2
$$

$$
\begin{aligned}
y & =(-2)^{2}+4(-2)+3 \\
& =4-8+3 \\
& =-4+3 \\
& =-1 \quad \text { vertex }(-2,-1)
\end{aligned}
$$

| $x$ | -5 | -4 | -1 | -1 | 0 | 0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $v$ | 7 | 3 | 0 | -1 | 0 | 3 |

We are going to use http://www.mathopenref.com/quadraticexplorer.html to explore quadratic functions.

- What happens as $a$ changes?
if $a$ is -re - frowning
if $a$ is tee -8 milling

$$
\begin{aligned}
& y=a x^{2}+b x+c \\
& \text { - What happens if } a=0 \text { ? }
\end{aligned}
$$

- not a parabola
- just a line
- big a value makes it tall $\{$ skinny
- What happens as $b$ changes?
- the curve dances
- What happens as $c$ changes?
- The $y$-intercept
changes
- What happens if $b=0$ ?
- the vertex is on the $y$-axis.
- What happens if $c=0$ ?
the $y$-intercept is
$z$ aero

Example For the graphs below, predict whether $a, b, c$ are positive, negative or zero.
a.

$a+\mathrm{ve}$
b tie Lvertex has tie $x$ value)
c
b.

c.


